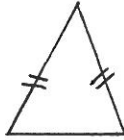


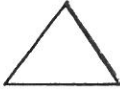
(1) Definieer die volgende:

(a) Gelykbenige driehoek



'n Gelykbenige Δ het twee sye wat ewe lank is.

(b) Skerphoekige driehoek



'n Skerphoekige Δ se hoeke is almal kleiner as 90°

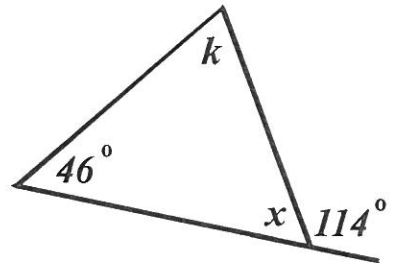
(2) Bereken die waardes van x , y en/of k in elk van die volgende sketse. Gee volledige redes:

(a)

$$x + 114^\circ = 180^\circ \quad [\angle \text{ op reguitlyn}]$$

$$\therefore x = 180^\circ - 114^\circ$$

$$\therefore x = 66^\circ$$



$$x + k + 46^\circ = 180^\circ \quad [\text{binne } \angle \text{ van } \Delta]$$

$$\therefore 66^\circ + k + 46^\circ = 180^\circ$$

$$\therefore k = 180^\circ - 66^\circ - 46^\circ$$

$$\therefore k = 68^\circ$$

(b)

$$y = 84^\circ \quad [\text{regoorst. } \angle]$$

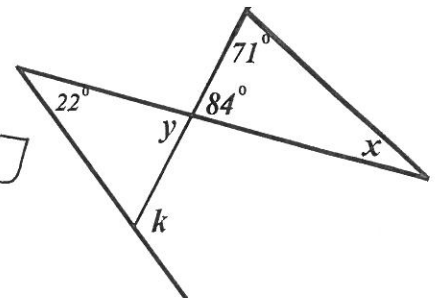
$$x + 71^\circ + 84^\circ = 180^\circ \quad [\text{binne } \angle \text{ van } \Delta]$$

$$\therefore x = 180^\circ - 71^\circ - 84^\circ$$

$$\therefore x = 25^\circ$$

$$k = y + 22^\circ \quad [\text{buite } \angle \text{ van } \Delta]$$

$$\therefore k = 84^\circ + 22^\circ = 106^\circ$$



(c)

$$x = 47^\circ \text{ [ooroenk. } \angle^e \cdot DE \parallel AB]$$

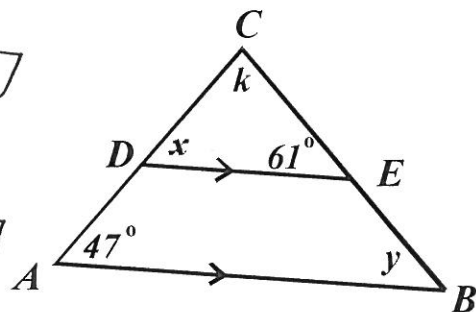
$$y = 61^\circ \text{ [ooroenk. } \angle^e \cdot DE \parallel AB]$$

$$k + x + 61^\circ = 180^\circ \text{ [binne } \angle^e \text{ van } \Delta]$$

$$\therefore k + 47^\circ + 61^\circ = 180^\circ$$

$$\therefore k = 180^\circ - 47^\circ - 61^\circ$$

$$\therefore k = 72^\circ$$



(d)

$$y + 36^\circ + 90^\circ = 180^\circ \text{ [binne } \angle^e \text{ van } \Delta]$$

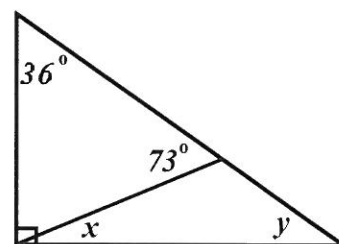
$$\therefore y = 180^\circ - 90^\circ - 36^\circ$$

$$\therefore y = 54^\circ$$

$$x + y = 73^\circ \text{ [buite } \angle \text{ van } \Delta]$$

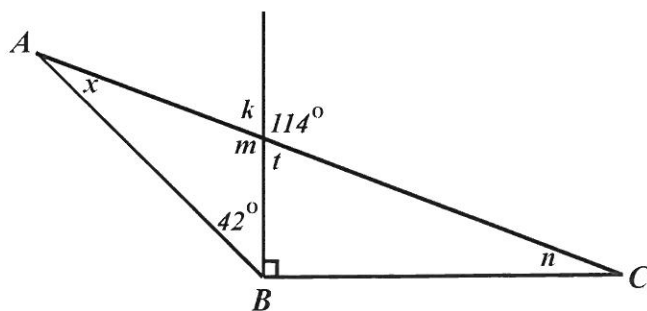
$$\therefore x = 73^\circ - y$$

$$\therefore x = 73^\circ - 54^\circ = 19^\circ$$



(3) Bewys dat ΔABC gelykbenig is.

Toon alle berekeninge en gee volledige redes:



$$m = 114^\circ \text{ [regoorst. } \angle^e]$$

$$\therefore x = 180^\circ - 42^\circ - 114^\circ \text{ [binne } \angle^e \text{ van } \Delta]$$

$$\therefore x = 24^\circ$$

$$n + 90^\circ = 114^\circ \text{ [buite } \angle \text{ van } \Delta]$$

$$\therefore n = 114^\circ - 90^\circ = 24^\circ$$

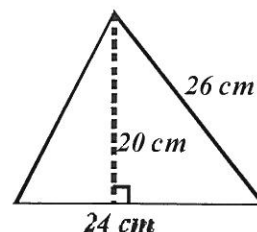
$$\therefore x = n = 24^\circ$$

$\therefore \Delta ABC$ is gelykbenig met $AB = BC$

(4) Bepaal die oppervlakte van die driehoek PQR in elk van die volgende:

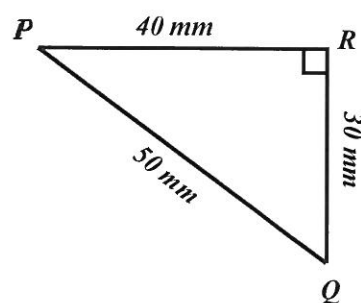
(a)

$$\begin{aligned} \text{Opp } \Delta &= \frac{1}{2} b \times h \\ &= \frac{1}{2} (24 \text{ cm}) \times (20 \text{ cm}) \\ &= 240 \text{ cm}^2 \end{aligned}$$



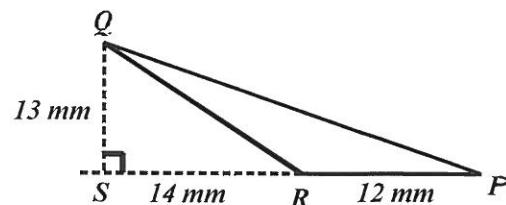
(b)

$$\begin{aligned} \text{Opp } \Delta PQR &= \frac{1}{2} b \times h \\ &= \frac{1}{2} (40 \text{ mm}) (30 \text{ mm}) \\ &= 600 \text{ mm}^2 \end{aligned}$$

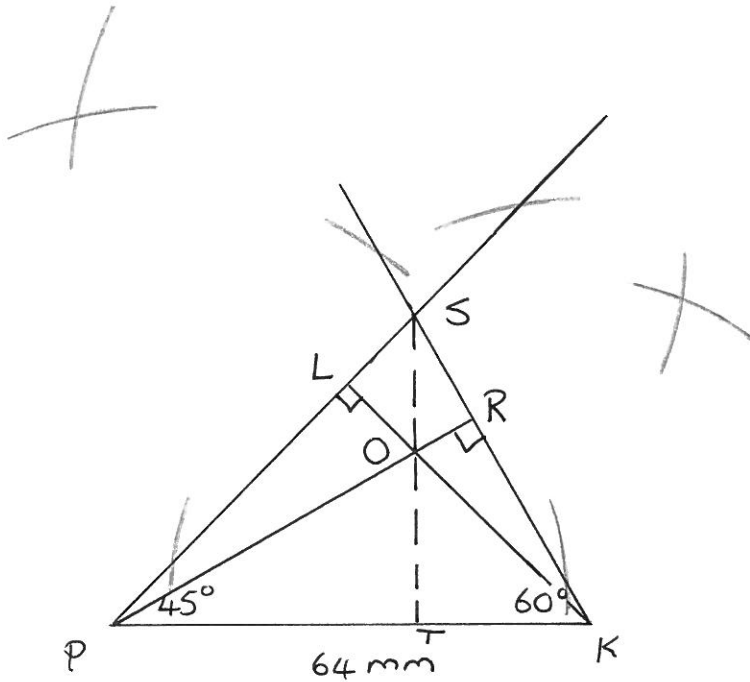
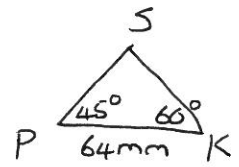


(c)

$$\begin{aligned} \text{Opp } \Delta QRP &= \frac{1}{2} b \times h \\ &= \frac{1}{2} (12 \text{ mm}) \times (13 \text{ mm}) \\ &= 78 \text{ mm}^2 \end{aligned}$$



- (5) (a) Konstrueer $\triangle PKS$ met $PK = 64 \text{ mm}$, $\hat{P} = 45^\circ$ en $\hat{K} = 60^\circ$.
 (b) Konstrueer PR so dat $PR \perp KS$.
 (c) Konstrueer KL so dat $KL \perp PS$.
 (d) Benoem die snypunt van PR en KL , O .
 (e) Verbind SO , en verleng sodat SO PK in T sny.
 (f) Meet $\hat{STK}$.



(f) $\hat{STK} = 90^\circ$